

The group G is isomorphic to the group labelled by [16, 8] in the Small Groups library.

Ordinary character table of $G \cong \text{QD16}$:

	1a	2a	2b	4a	4b	8a	8b
χ_1	1	1	-1	1	-1	1	1
χ_2	1	1	-1	1	1	-1	-1
χ_3	1	1	1	1	-1	-1	-1
χ_4	1	1	1	1	1	1	1
χ_5	2	-2	0	0	0	$E(8) + E(8)^3$	$-E(8) - E(8)^3$
χ_6	2	-2	0	0	0	$-E(8) - E(8)^3$	$E(8) + E(8)^3$
χ_7	2	2	0	-2	0	0	0

Trivial source character table of $G \cong \text{QD16}$ at $p = 2$:

Normalisers N_i	N_1	N_2	N_3	N_4	N_5	N_6	N_7	N_8	N_9	N_{10}
p -subgroups of G up to conjugacy in G	P_1	P_2	P_3	P_4	P_5	P_6	P_7	P_8	P_9	P_{10}
Representatives $n_j \in N_i$	1a	1a	1a	1a	1a	1a	1a	1a	1a	1a
$1 \cdot \chi_1 + 1 \cdot \chi_2 + 1 \cdot \chi_3 + 1 \cdot \chi_4 + 2 \cdot \chi_5 + 2 \cdot \chi_6 + 2 \cdot \chi_7$	16	0	0	0	0	0	0	0	0	0
$1 \cdot \chi_1 + 1 \cdot \chi_2 + 1 \cdot \chi_3 + 1 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 2 \cdot \chi_7$	8	8	0	0	0	0	0	0	0	0
$0 \cdot \chi_1 + 0 \cdot \chi_2 + 1 \cdot \chi_3 + 1 \cdot \chi_4 + 1 \cdot \chi_5 + 1 \cdot \chi_6 + 1 \cdot \chi_7$	8	0	2	0	0	0	0	0	0	0
$1 \cdot \chi_1 + 1 \cdot \chi_2 + 1 \cdot \chi_3 + 1 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7$	4	4	0	4	0	0	0	0	0	0
$0 \cdot \chi_1 + 0 \cdot \chi_2 + 1 \cdot \chi_3 + 1 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 1 \cdot \chi_7$	4	4	2	0	2	0	0	0	0	0
$0 \cdot \chi_1 + 1 \cdot \chi_2 + 0 \cdot \chi_3 + 1 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 1 \cdot \chi_7$	4	4	0	0	0	2	0	0	0	0
$0 \cdot \chi_1 + 0 \cdot \chi_2 + 1 \cdot \chi_3 + 1 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7$	2	2	2	2	2	0	2	0	0	0
$0 \cdot \chi_1 + 1 \cdot \chi_2 + 0 \cdot \chi_3 + 1 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7$	2	2	0	2	0	2	0	2	0	0
$1 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 1 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7$	2	2	0	2	0	0	0	0	2	0
$0 \cdot \chi_1 + 0 \cdot \chi_2 + 0 \cdot \chi_3 + 1 \cdot \chi_4 + 0 \cdot \chi_5 + 0 \cdot \chi_6 + 0 \cdot \chi_7$	1	1	1	1	1	1	1	1	1	1

$$P_1 = \text{Group}[(())] \cong 1$$

$$P_2 = \text{Group}[(1, 5)(2, 8)(3, 10)(4, 11)(6, 13)(7, 14)(9, 15)(12, 16)] \cong \text{C2}$$

$$P_3 = \text{Group}[(1, 3)(2, 6)(4, 15)(5, 10)(7, 16)(8, 13)(9, 11)(12, 14)] \cong \text{C2}$$

$$P_4 = \text{Group}[(1, 5)(2, 8)(3, 10)(4, 11)(6, 13)(7, 14)(9, 15)(12, 16), (1, 4, 5, 11)(2, 7, 8, 14)(3, 9, 10, 15)(6, 12, 13, 16)] \cong \text{C4}$$

$$P_5 = \text{Group}[(1, 5)(2, 8)(3, 10)(4, 11)(6, 13)(7, 14)(9, 15)(12, 16), (1, 3)(2, 6)(4, 15)(5, 10)(7, 16)(8, 13)(9, 11)(12, 14)] \cong \text{C2} \times \text{C2}$$

$$P_6 = \text{Group}[(1, 5)(2, 8)(3, 10)(4, 11)(6, 13)(7, 14)(9, 15)(12, 16), (1, 2, 5, 8)(3, 12, 10, 16)(4, 14, 11, 7)(6, 15, 13, 9)] \cong \text{C4}$$

$$P_7 = \text{Group}[(1, 5)(2, 8)(3, 10)(4, 11)(6, 13)(7, 14)(9, 15)(12, 16), (1, 4, 5, 11)(2, 7, 8, 14)(3, 9, 10, 15)(6, 12, 13, 16), (1, 3)(2, 6)(4, 15)(5, 10)(7, 16)(8, 13)(9, 11)(12, 14)] \cong \text{D8}$$

$$P_8 = \text{Group}[(1, 5)(2, 8)(3, 10)(4, 11)(6, 13)(7, 14)(9, 15)(12, 16), (1, 4, 5, 11)(2, 7, 8, 14)(3, 9, 10, 15)(6, 12, 13, 16), (1, 2, 5, 8)(3, 12, 10, 16)(4, 14, 11, 7)(6, 15, 13, 9)] \cong \text{Q8}$$

$$P_9 = \text{Group}[(1, 5)(2, 8)(3, 10)(4, 11)(6, 13)(7, 14)(9, 15)(12, 16), (1, 4, 5, 11)(2, 7, 8, 14)(3, 9, 10, 15)(6, 12, 13, 16), (1, 12, 11, 6, 5, 16, 4, 13)(2, 15, 14, 10, 8, 9, 7, 3)] \cong \text{C8}$$

$$P_{10} = \text{Group}[(1, 5)(2, 8)(3, 10)(4, 11)(6, 13)(7, 14)(9, 15)(12, 16), (1, 4, 5, 11)(2, 7, 8, 14)(3, 9, 10, 15)(6, 12, 13, 16), (1, 3)(2, 6)(4, 15)(5, 10)(7, 16)(8, 13)(9, 11)(12, 14), (1, 2, 5, 8)(3, 12, 10, 16)(4, 14, 11, 7)(6, 15, 13, 9)] \cong \text{QD16}$$

$$N_1 = \text{Group}[(1, 2, 5, 8)(3, 12, 10, 16)(4, 14, 11, 7)(6, 15, 13, 9), (1, 3)(2, 6)(4, 15)(5, 10)(7, 16)(8, 13)(9, 11)(12, 14), (1, 4, 5, 11)(2, 7, 8, 14)(3, 9, 10, 15)(6, 12, 13, 16), (1, 5)(2, 8)(3, 10)(4, 11)(6, 13)(7, 14)(9, 15)(12, 16)] \cong \text{QD16}$$

$$N_2 = \text{Group}[(1, 2, 5, 8)(3, 12, 10, 16)(4, 14, 11, 7)(6, 15, 13, 9), (1, 3)(2, 6)(4, 15)(5, 10)(7, 16)(8, 13)(9, 11)(12, 14), (1, 4, 5, 11)(2, 7, 8, 14)(3, 9, 10, 15)(6, 12, 13, 16), (1, 5)(2, 8)(3, 10)(4, 11)(6, 13)(7, 14)(9, 15)(12, 16)] \cong \text{QD16}$$

$$N_3 = \text{Group}[(1, 3)(2, 6)(4, 15)(5, 10)(7, 16)(8, 13)(9, 11)(12, 14), (1, 5)(2, 8)(3, 10)(4, 11)(6, 13)(7, 14)(9, 15)(12, 16)] \cong \text{C2} \times \text{C2}$$

$$N_4 = \text{Group}[(1, 4, 5, 11)(2, 7, 8, 14)(3, 9, 10, 15)(6, 12, 13, 16), (1, 5)(2, 8)(3, 10)(4, 11)(6, 13)(7, 14)(9, 15)(12, 16), (1, 2, 5, 8)(3, 12, 10, 16)(4, 14, 11, 7)(6, 15, 13, 9), (1, 3)(2, 6)(4, 15)(5, 10)(7, 16)(8, 13)(9, 11)(12, 14)] \cong \text{QD16}$$

$$N_5 = \text{Group}[(1, 3)(2, 6)(4, 15)(5, 10)(7, 16)(8, 13)(9, 11)(12, 14), (1, 5)(2, 8)(3, 10)(4, 11)(6, 13)(7, 14)(9, 15)(12, 16), (1, 4, 5, 11)(2, 7, 8, 14)(3, 9, 10, 15)(6, 12, 13, 16)] \cong \text{D8}$$

$$N_6 = \text{Group}[(1, 2, 5, 8)(3, 12, 10, 16)(4, 14, 11, 7)(6, 15, 13, 9), (1, 5)(2, 8)(3, 10)(4, 11)(6, 13)(7, 14)(9, 15)(12, 16), (1, 4, 5, 11)(2, 7, 8, 14)(3, 9, 10, 15)(6, 12, 13, 16)] \cong \text{Q8}$$

$$N_7 = \text{Group}[(1, 3)(2, 6)(4, 15)(5, 10)(7, 16)(8, 13)(9, 11)(12, 14), (1, 4, 5, 11)(2, 7, 8, 14)(3, 9, 10, 15)(6, 12, 13, 16), (1, 5)(2, 8)(3, 10)(4, 11)(6, 13)(7, 14)(9, 15)(12, 16), (1, 2, 5, 8)(3, 12, 10, 16)(4, 14, 11, 7)(6, 15, 13, 9)] \cong \text{QD16}$$

$$N_8 = \text{Group}[(1, 2, 5, 8)(3, 12, 10, 16)(4, 14, 11, 7)(6, 15, 13, 9), (1, 4, 5, 11)(2, 7, 8, 14)(3, 9, 10, 15)(6, 12, 13, 16), (1, 5)(2, 8)(3, 10)(4, 11)(6, 13)(7, 14)(9, 15)(12, 16), (1, 3)(2, 6)(4, 15)(5, 10)(7, 16)(8, 13)(9, 11)(12, 14)] \cong \text{QD16}$$

$$N_9 = \text{Group}[(1, 12, 11, 6, 5, 16, 4, 13)(2, 15, 14, 10, 8, 9, 7, 3), (1, 4, 5, 11)(2, 7, 8, 14)(3, 9, 10, 15)(6, 12, 13, 16), (1, 5)(2, 8)(3, 10)(4, 11)(6, 13)(7, 14)(9, 15)(12, 16), (1, 2, 5, 8)(3, 12, 10, 16)(4, 14, 11, 7)(6, 15, 13, 9)] \cong \text{QD16}$$

$$N_{10} = \text{Group}[(1, 2, 5, 8)(3, 12, 10, 16)(4, 14, 11, 7)(6, 15, 13, 9), (1, 3)(2, 6)(4, 15)(5, 10)(7, 16)(8, 13)(9, 11)(12, 14), (1, 4, 5, 11)(2, 7, 8, 14)(3, 9, 10, 15)(6, 12, 13, 16), (1, 5)(2, 8)(3, 10)(4, 11)(6, 13)(7, 14)(9, 15)(12, 16)] \cong \text{QD16}$$